

Planning vs. Search-based Problem Solving

Problem solving: actions generate successor states.

Planning: actions are represented as preconditions and effects.

Problem solving: state representations are complete.

Planning: complete state descriptions would be enormous.

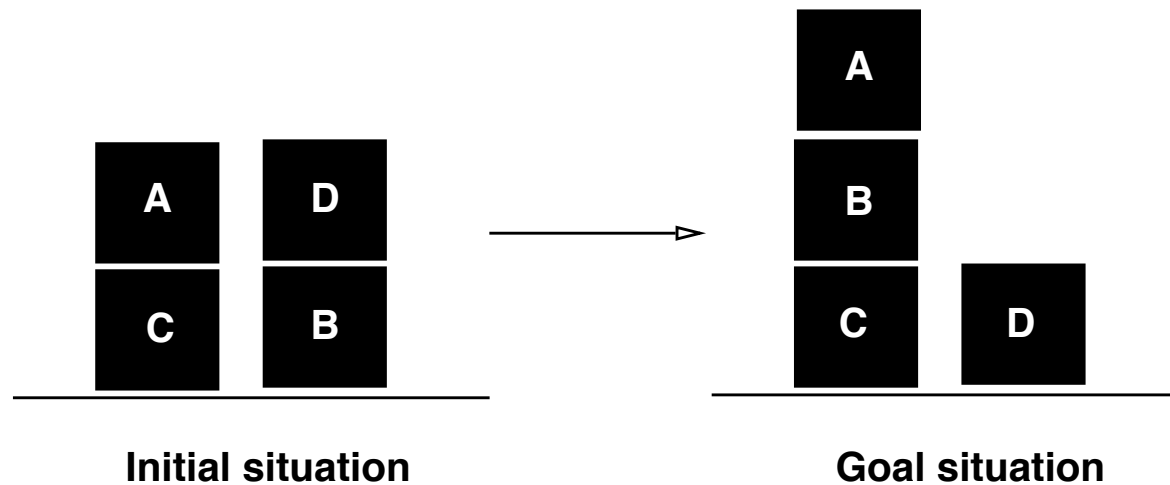
Problem solving: goal test and heuristic function used to evaluate states.

Planning: goals are usually represented as a conjunct of state variables.

Problem solving: incrementally generates solution as a sequence of actions.

Planning: can add actions to any part of the plan at any time.

Planning Example



Initial Situation:

on(A,C), on(C,Table), on(D,B), on(B,Table), clear(A), clear(D)

Goal Situation:

on(A,B), on(B,C)

Searching Plan Space

Alternative is to search through the space of *plans* rather than the space of *situations*.

Start with simple, incomplete **partial plan**; expand until complete.

Operators: add a step, impose an ordering on existing steps, instantiate a previously unbound variable.

Solution: final plan.

Plan Representation

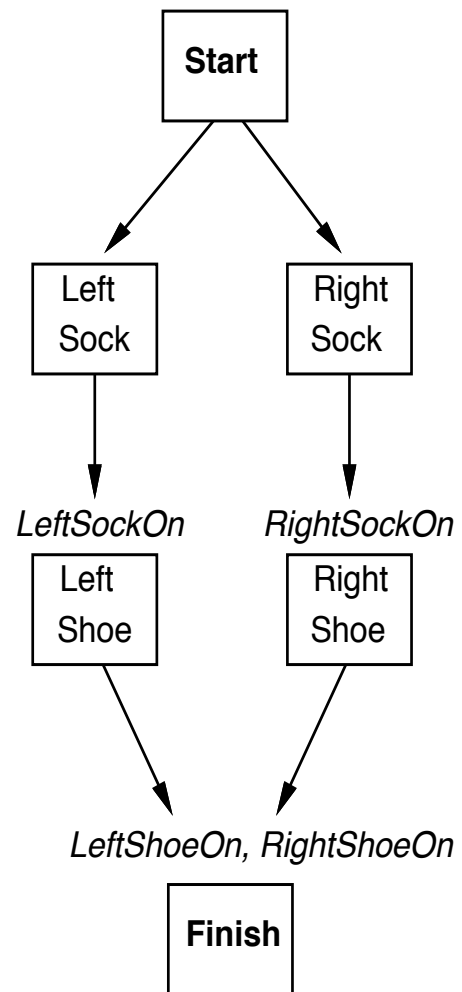
Most planners use the principle of **least commitment**.

Partial order planner: represents plans in which some steps are ordered and other steps are unordered.

Total order planner: simple list of steps.

A totally ordered plan that is derived from a plan P by adding ordering constraints is called a **linearization** of P .

Partial Order Plan:



Total Order Plans:



Components of a Plan

1. A set of plan steps. Each step is one of the operators for the problem.
2. A set of step ordering constraints, $S_i \prec S_j$.
3. A set of variable binding constraints, $v = x$ where v is a variable and x is a constant or another variable.
4. A set of **causal links**, $S_i \xrightarrow{c} S_j$ (S_i achieves precondition c for S_j .)

What is a solution?

You might expect that only fully instantiated, totally ordered plans would be considered solutions. But this is not a good idea for several reasons:

- It makes more sense to have a planner return a partial order plan than to arbitrarily choose one linearization of it.
- Sometimes actions can be performed in parallel, so it is best to generate solutions that allow for actions to happen in parallel.
- A plan may be integrated with another plan later. Keeping the plan flexible can help with plan integration.

We consider a plan to be a solution if it is **complete** and **consistent**.

A complete plan is one in which every precondition is achieved by another step. A precondition is achieved if it is an effect of a step and no other step can cancel it out. Formally:

S_i achieves precondition c of S_j if

- (1) $S_i \prec S_j$ and $c \in EFFECTS(S_i)$, and
- (2) there is no step S_k such that $(\neg c) \in EFFECTS(S_k)$ where $S_i \prec S_k \prec S_j$ in some linearization of the plan.

A consistent plan is a plan with no contradictions in the ordering or binding of constraints.

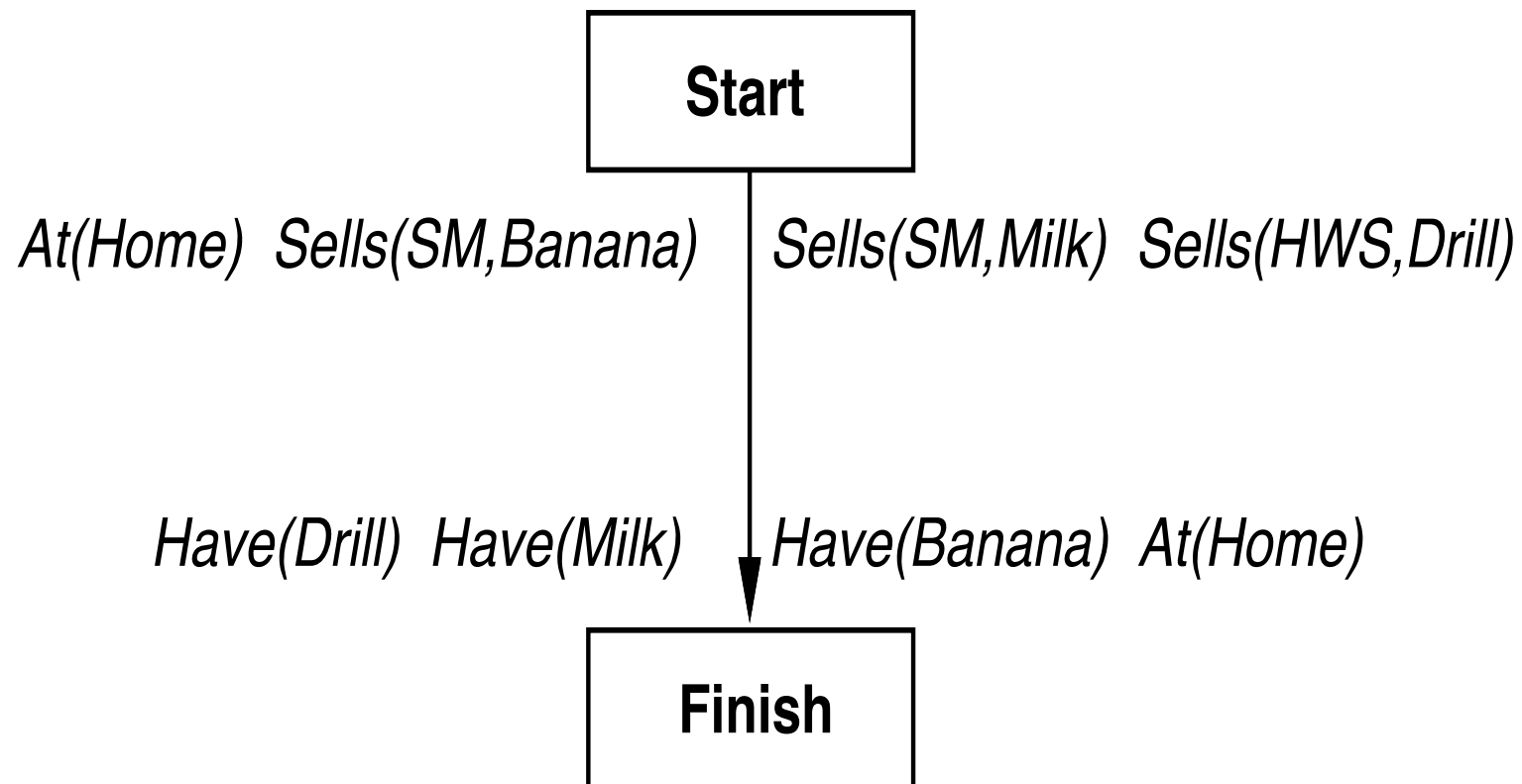
A contradiction occurs when $S_i \prec S_j$ and $S_j \prec S_i$ or if $v = A$ and $v = B$ for different constants A and B .

Under this definition, the partial plan for putting on socks is a solution!

Partial-Order Regression Planner Example

Suppose you want a plan to buy milk, bananas, and a drill.

The initial plan might be:



Operators

Operator:

ACTION = Go(there)

PRECONDITIONS = At(here)

EFFECTS = At(there) \wedge \neg At(here)

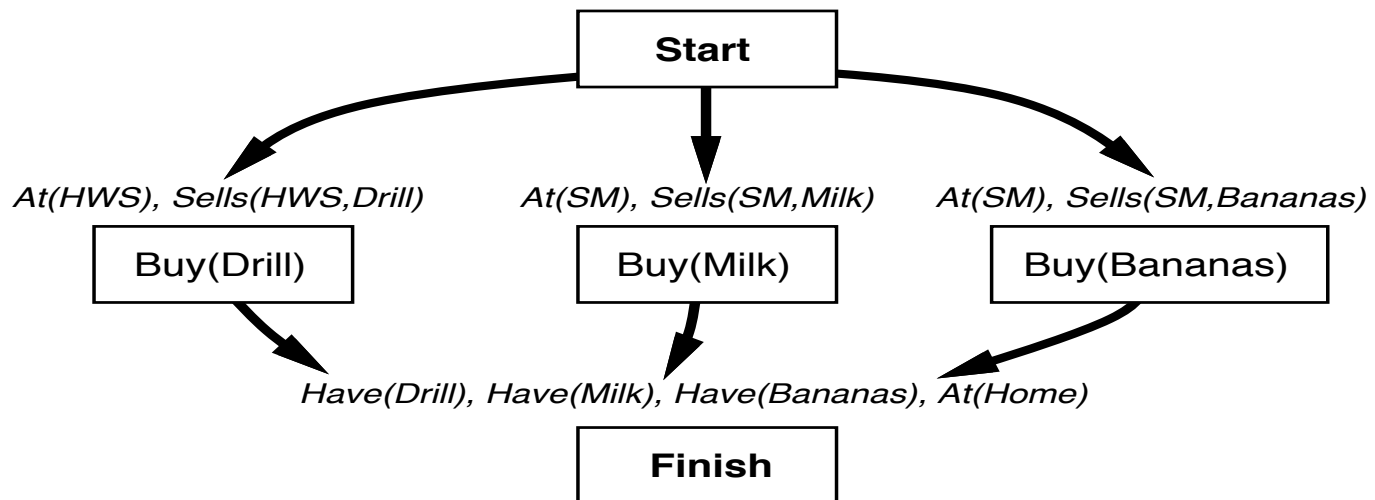
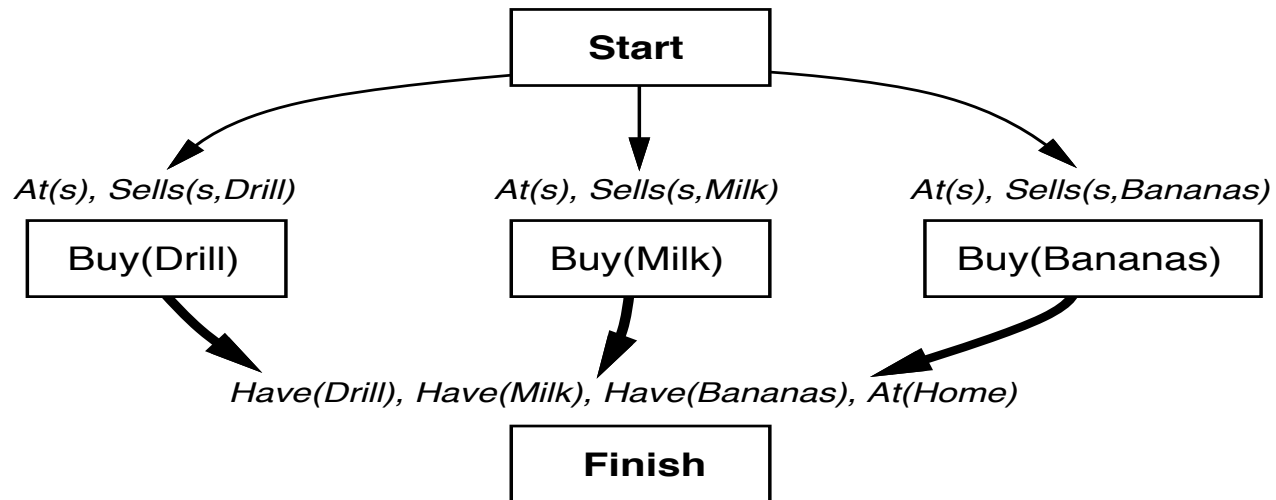
Operator:

ACTION = Buy(obj)

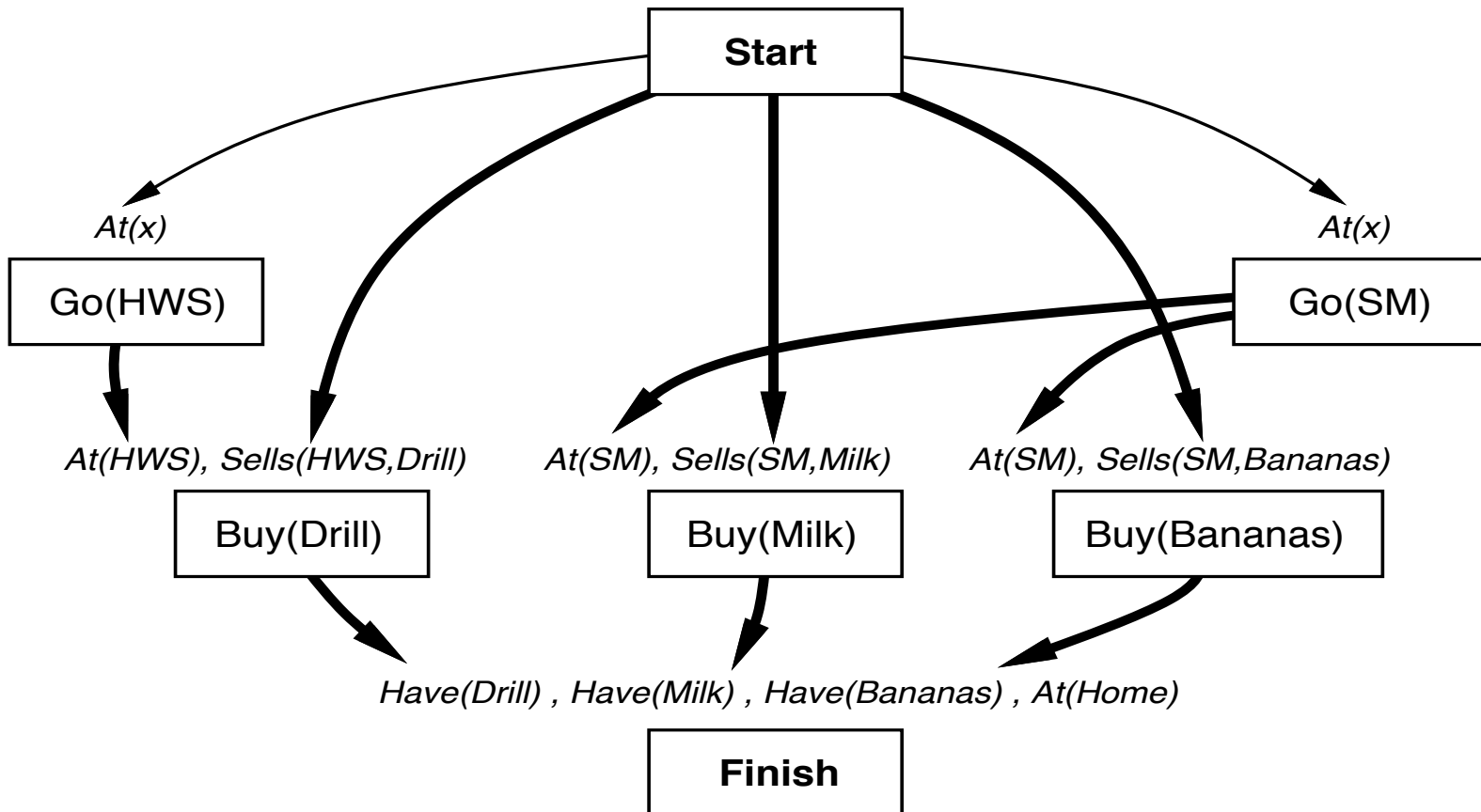
PRECONDITIONS = At(store) \wedge Sells(store,obj)

EFFECT = have(obj)

To keep the search focused, the planner only considers adding steps that achieve a precondition that has not yet been achieved.

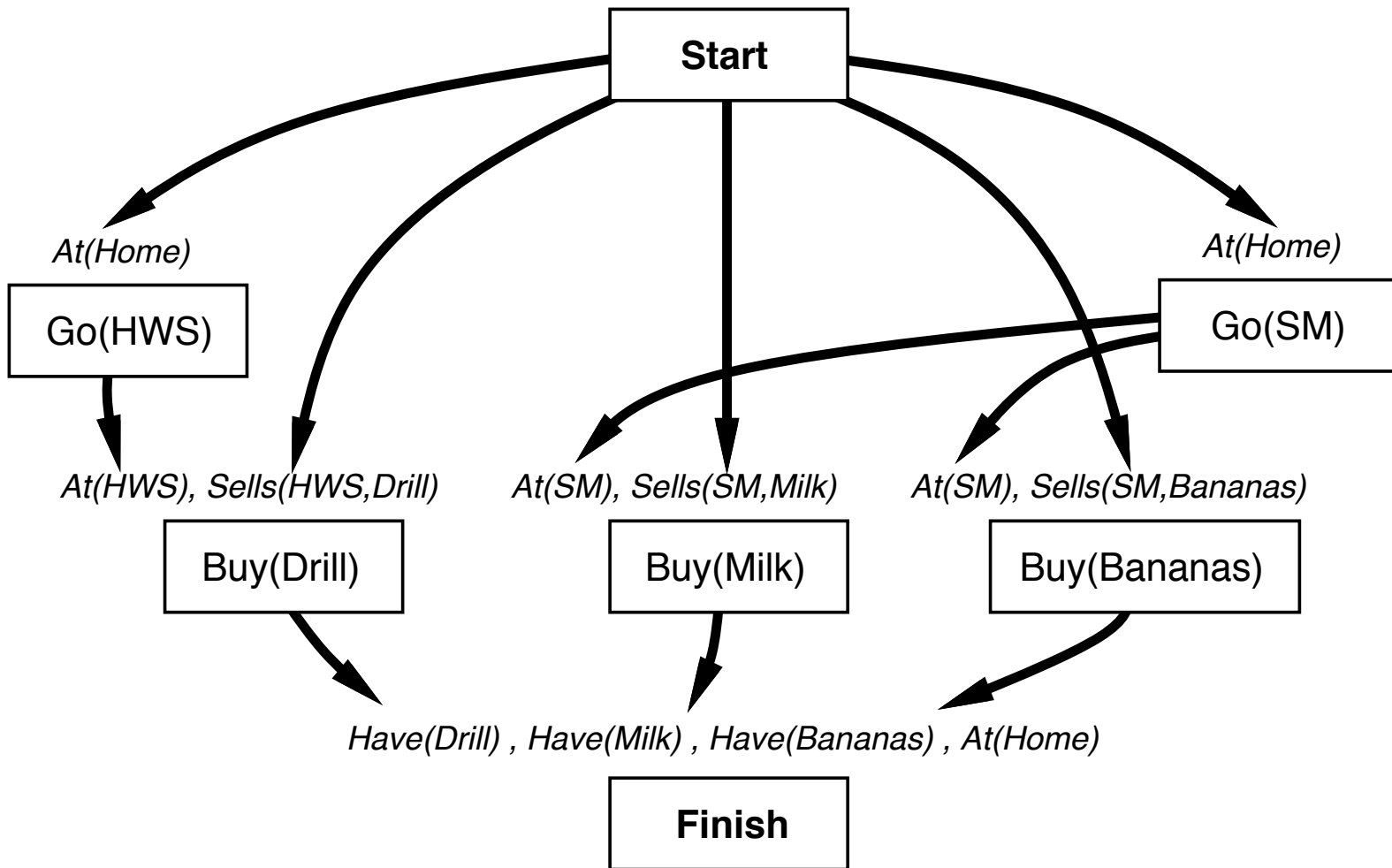


The plan is extended by choosing *Go* actions to achieve the *At* preconditions.



Note that the *Go* actions have unachieved preconditions that interact!

Look what happens if the planner tries to achieve the preconditions of *Go* with the *At(home)* condition in the initial state!

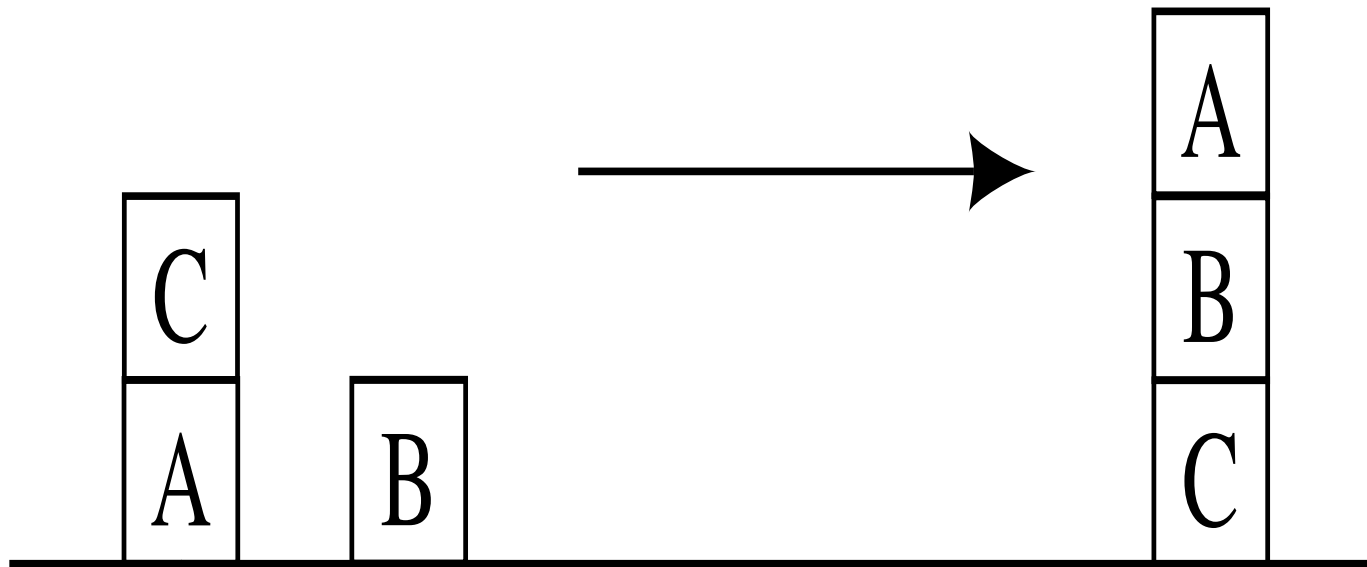


A planner can notice dead ends

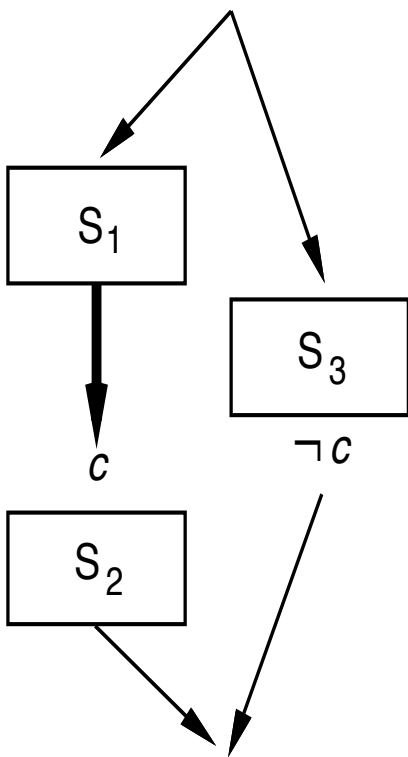
- This partial plan is a dead end because one step *clobbers* a protected condition for another step.
- The planner must pay attention to the clausal links which are *protected*. The planner must ensure that *threats* (steps which can clobber protected preconditions) are order to come before or after the protected link.
- Threats can be added by adding ordering constraints to put the threat before the protected link (*demotion*) or after the protected link (*promotion*).

The Sussman Anomaly

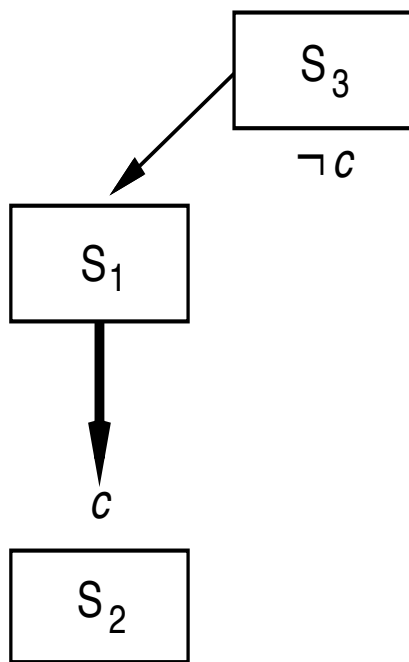
Focusing on one conjunct at a time can make clobbering unavoidable.



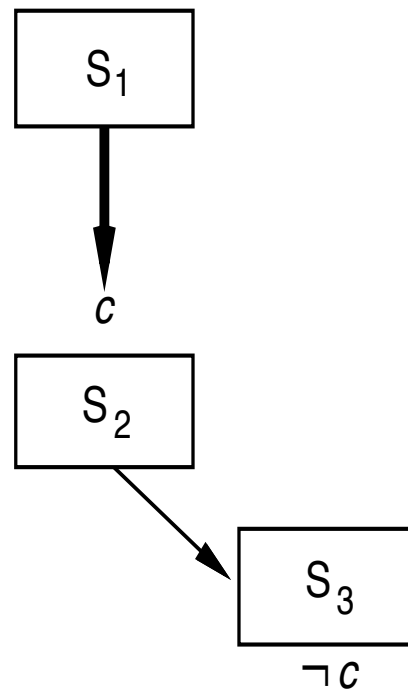
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(a)



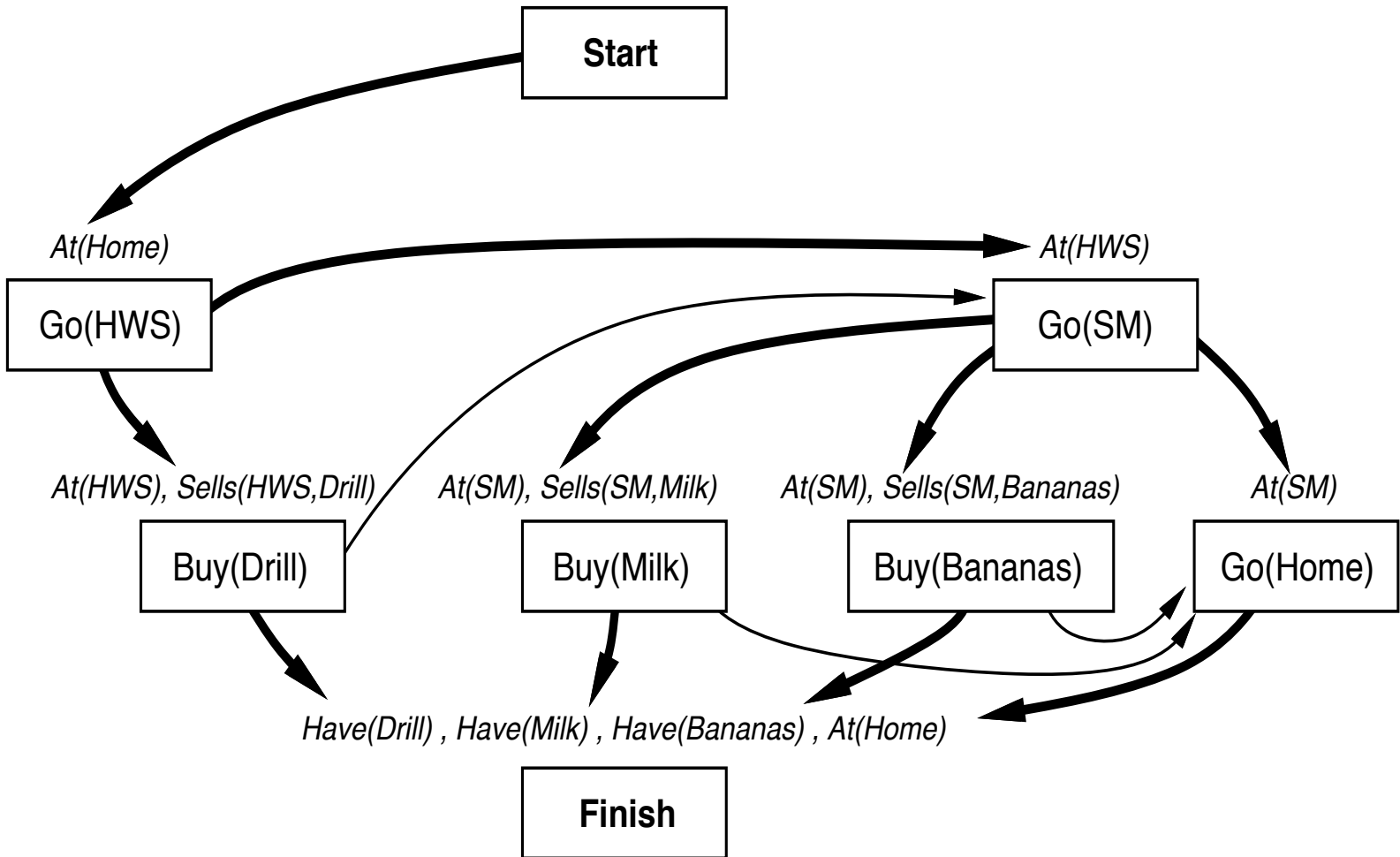
(b)

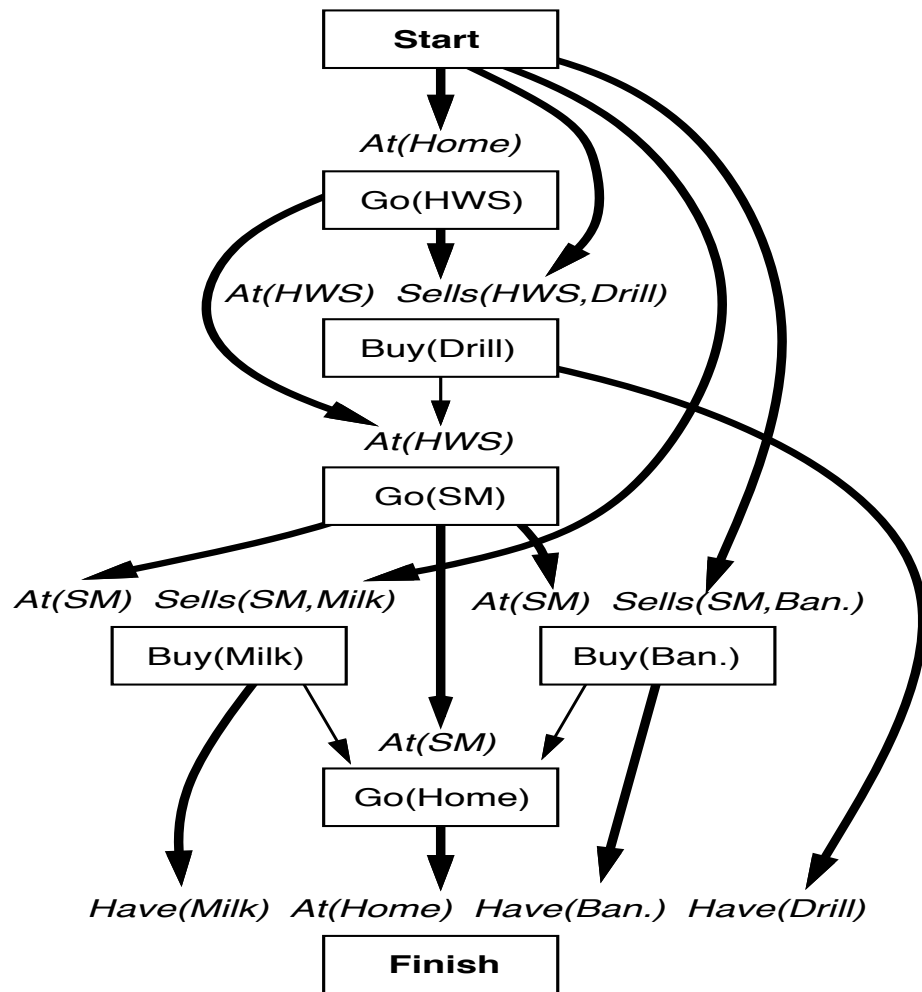


(c)

Ordering constraints aren't always enough...

- Unfortunately, there is no way to reorder the *Go* threat because any order will delete the *At(home)* condition of the other step.
- When a planner can't resolve a threat, it has no choice but to backtrack.
- Suppose we try adding a causal link from *Go(HWS)* to *Go(SM)*. Now *Go(SM)* threatens the *At(HWS)* precondition of *Buy(drill)*.
- We can resolve this threat by ordering *Go(SM)* to come after *Buy(drill)*.





function POP(*initial, goal, operators*) **returns** *plan*

plan \leftarrow MAKE-MINIMAL-PLAN(*initial, goal*)

loop do

if SOLUTION?(*plan*) **then return** *plan*

$S_{need}, c \leftarrow$ SELECT-SUBGOAL(*plan*)

 CHOOSE-OPERATOR(*plan, operators, S_{need}, c*)

 RESOLVE-THREATS(*plan*)

end

function SELECT-SUBGOAL(*plan*) **returns** S_{need}, c

 pick a plan step S_{need} from STEPS(*plan*)

 with a precondition *c* that has not been achieved

return S_{need}, c

procedure CHOOSE-OPERATOR(*plan, operators, S_{need}, c*)

choose a step S_{add} from *operators* or STEPS(*plan*) that has *c* as an effect

if there is no such step **then fail**

 add the causal link $S_{add} \xrightarrow{c} S_{need}$ to LINKS(*plan*)

 add the ordering constraint $S_{add} \prec S_{need}$ to ORDERINGS(*plan*)

if S_{add} is a newly added step from *operators* **then**

 add S_{add} to STEPS(*plan*)

 add $Start \prec S_{add} \prec Finish$ to ORDERINGS(*plan*)

procedure RESOLVE-THREATS(*plan*)

for each S_{threat} that threatens a link $S_i \xrightarrow{c} S_j$ in LINKS(*plan*) **do**

choose either

Promotion: Add $S_{threat} \prec S_i$ to ORDERINGS(*plan*)

Demotion: Add $S_j \prec S_{threat}$ to ORDERINGS(*plan*)

if not CONSISTENT(*plan*) **then fail**

end

Possible Threats

Variables can be left unbound in plans. If an operator produces an effect that could cause a threat if the variable takes a certain binding, then it is a *possible threat*.

There are three general approaches to dealing with possible threats:

1. Resolve now by forcing a variable binding. The commitment may cause trouble later though.
2. Resolve now with an inequality constraint ($x \neq home$). Less commitment, but more complicated for unification algorithms.
3. Ignore possible threats and only deal with them when they become known threats. For example, if $x = home$ is added then resolve the threat. Low commitment, but can't say for sure that the plan is a solution.

Practical Applications for Planners

Job shop scheduling: assembling, manufacturing

Space missions: orchestrating observational equipment to maximize data acquisition while minimizing time and energy consumption.

Construction: Building facilities, airplanes, spacecraft, etc.

Event scheduling: Scheduling meetings, classes, and other events.

Limitations of the STRIPS language

Hierarchical planning: Generating complex plans often requires abstract planning over increasingly detailed search spaces.

Complex state conditions: STRIPS variables have limited in their complexity. For example, there is no quantification and no conditional statements.



Representing time: The STRIPS framework assumes that everything happens instantly. There is no way to represent duration, deadlines, time windows, etc.

Resource limitations: In the real world, resources are limited. You need to represent the fact that the number of available workers, equipment, money, etc. is constrained.